

A Corridor-Centric Approach to Planning Electric Vehicle Charging Infrastructure

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Introduction

- Why to switch from conventional vehicles?
- Why to switch to electric vehicles?
- Future of electric vehicles fleet
- Batteries and charging station specifications

Design Model

$$\min z(P, E) = \underbrace{\left(C_p + P \lambda \min(1, f) C_s \right) \left(\frac{l}{\beta \theta E} - 1 \right)}_{\text{Charging Station Cost}} + \underbrace{\lambda l C_e E}_{\text{Battery Cost}}$$

Subject to:

$$\left(\frac{l}{\beta \theta E} - 1 \right) \frac{\alpha \theta E}{P} \leq T_0 \quad \rightarrow \quad \text{Level of Service Constraint}$$

Special Cases

Discrete capacity for Charging Facility

$$\min z(P, E) = (C_p + P\lambda l \min(1, f) C_s) \left(\frac{l}{\beta\theta E} - 1 \right) + \lambda C_e E$$

$$\text{Subject to: } \frac{l}{\beta\theta} - \frac{T_0 P}{\alpha\theta} \leq E \leq \frac{l}{\beta\theta}$$

Battery Swapping

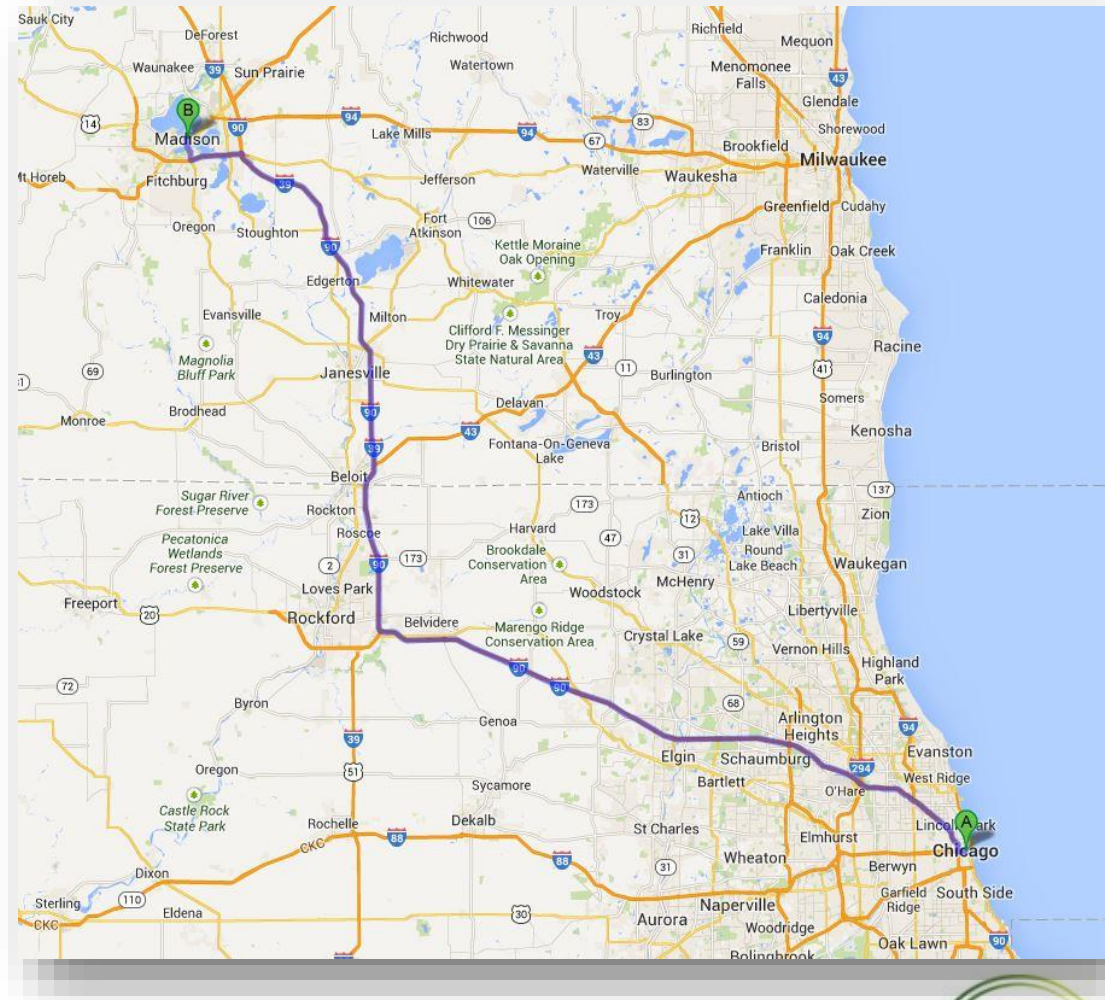
$$\min z(P, E) = (C'_p + rP_3\lambda l \min(1, f) C_s) \left(\frac{l}{\beta\theta E} - 1 \right) + n_b C_e E$$

$$\text{Subject to: } \frac{\frac{l}{\beta\theta}}{\left(\frac{T_0}{t_e} + 1\right)} \leq E \leq \frac{l}{\beta\theta}$$

$$n_b \equiv \lambda l + \left(\frac{l}{\beta\theta E} - 1 \right) \lambda l f$$

Case Study

- Chicago, IL- Madison, WI
- 150 miles
- 80% confident range



Case Study

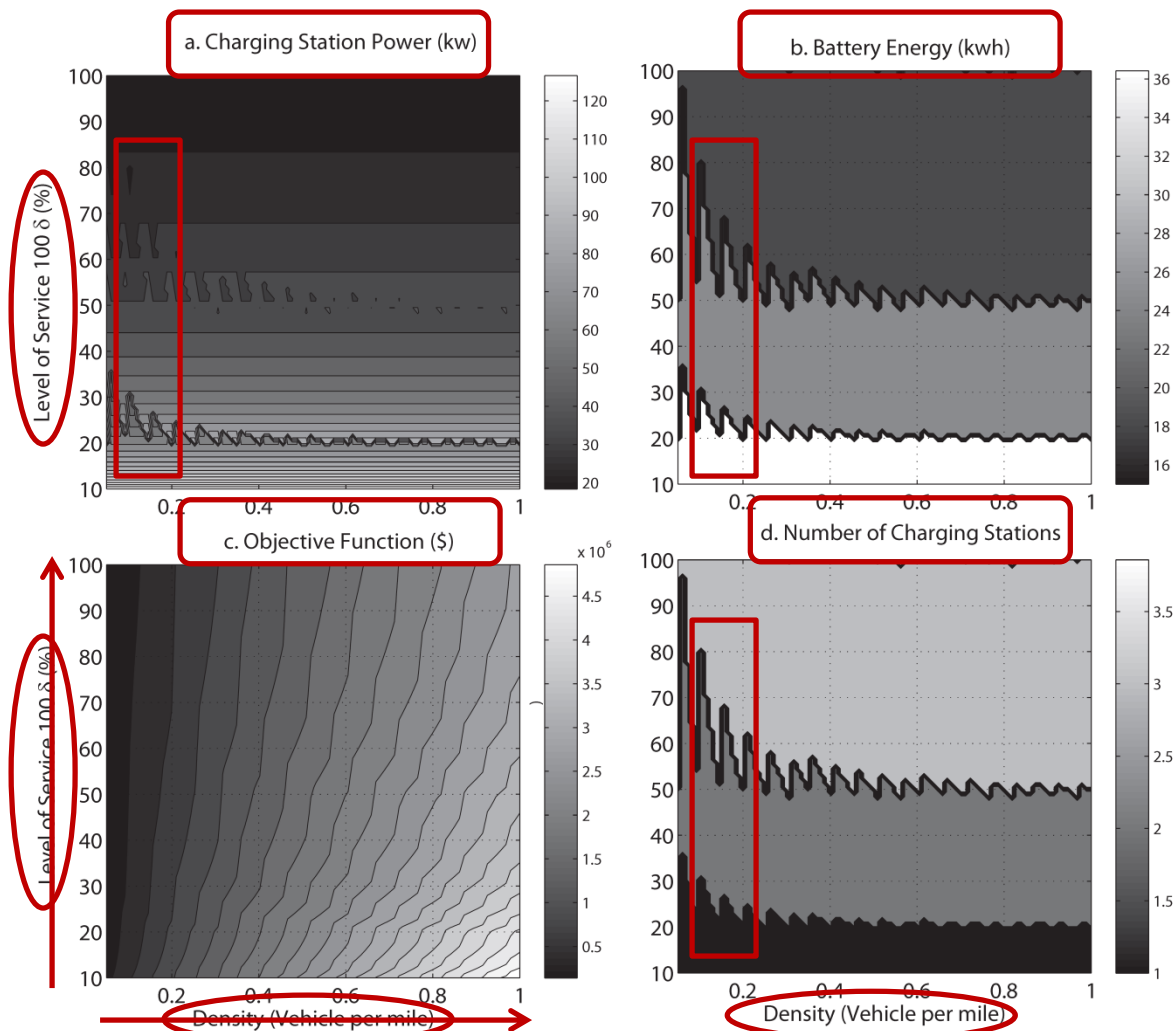
Baseline model

Level of service 100δ	Total travel time (hr)	Energy (kwh)	E	Battery range (mile)	Charging Power (kW)	P	Number of charging stations m
0%	2.7	75.0		187.50	0		0
5%	2.9	37.5		93.75	286.0		1
15%	3.1	37.5		93.75	95.3		1
25%	3.4	25.0		62.50	76.3		2
50%	4.1	25.0		62.50	38.1		2
85%	5.0	18.7		46.87	25.2		3
100%	5.5	18.7		46.87	21.4		3

Case Study

Sensitivity of Demand (Baseline model)

- Total cost increases with density and decreases with LOS
- Density is only effective when low
- Increases in delay, causes smaller batteries and charging stations with more charging stations

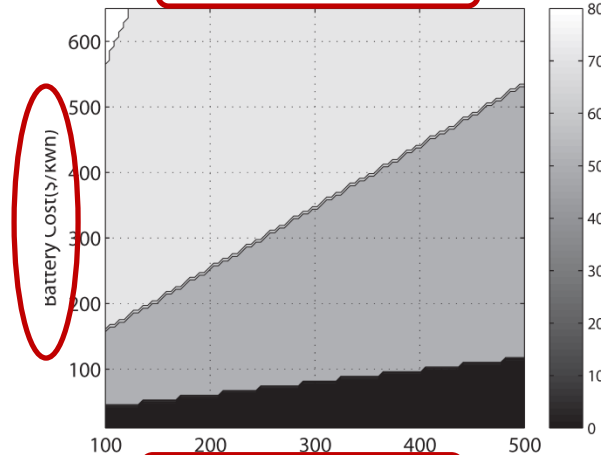


Case Study

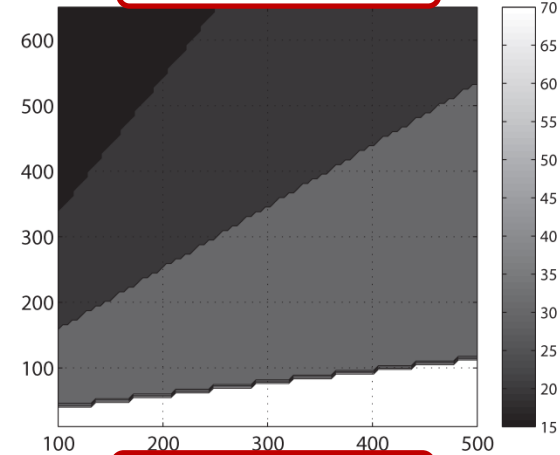
Sensitivity of Technology (Baseline model)

- Total cost decreases with the two costs
- Advancing battery technology more effective
- Charging station cost is ineffective when battery cost is low
- Larger batteries are feasible with lower battery cost

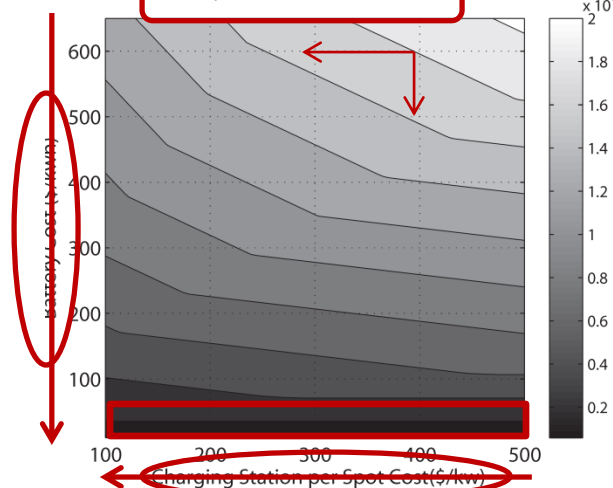
a. Charging Station Power (kw)



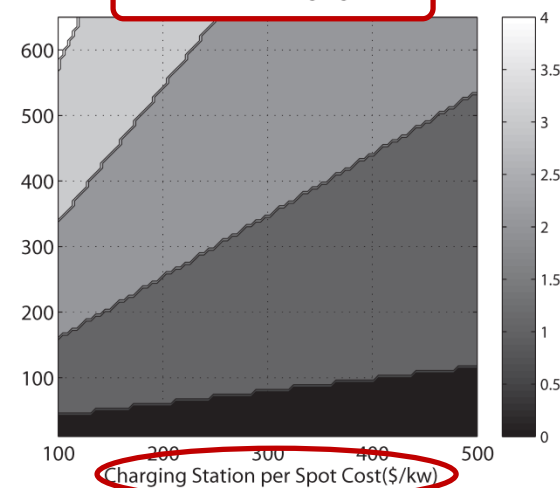
b. Battery Energy (kwh)



c. Objective Function (\$)

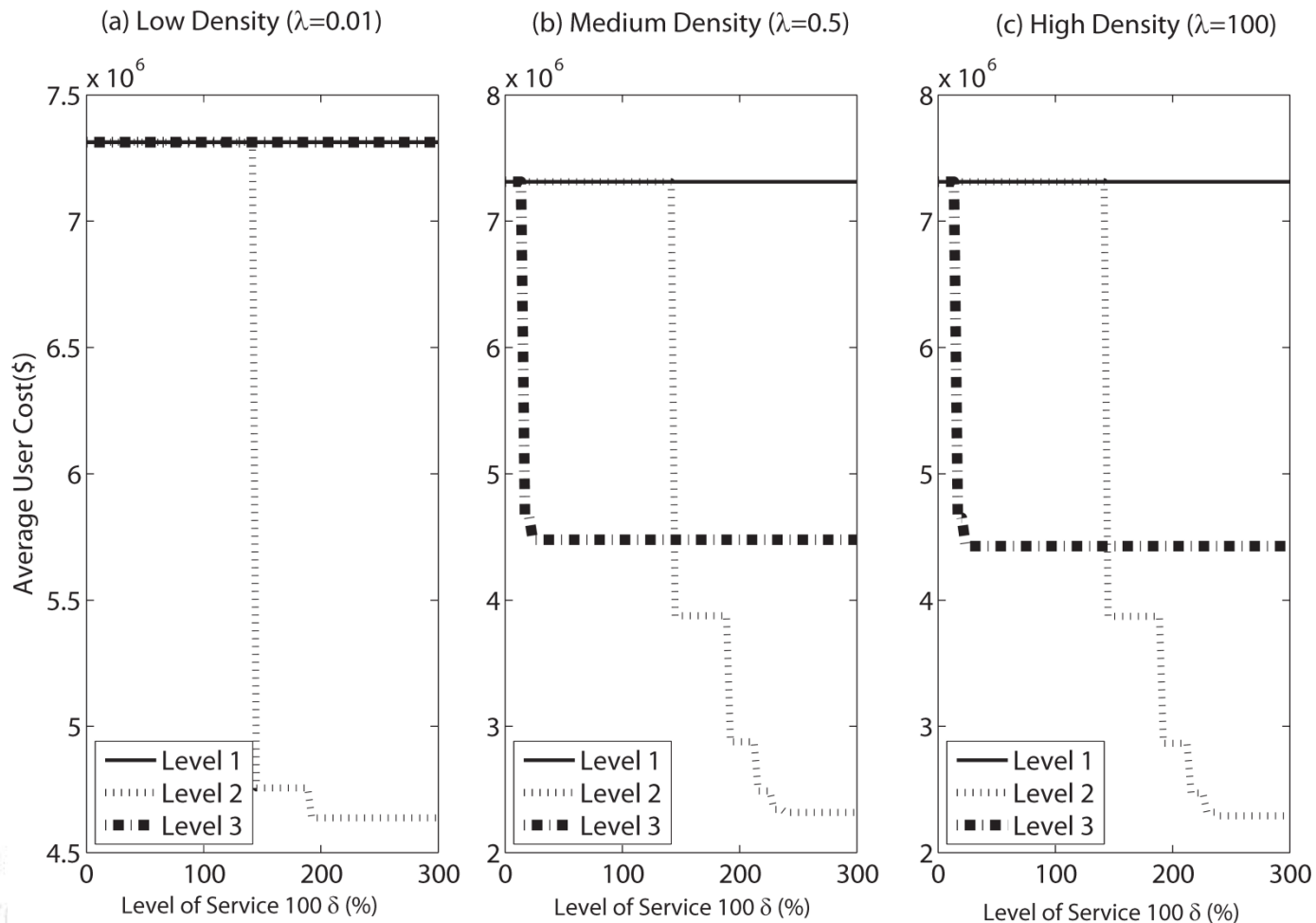


d. Number of Charging Stations



Case Study

Discrete capacity for Charging Facility



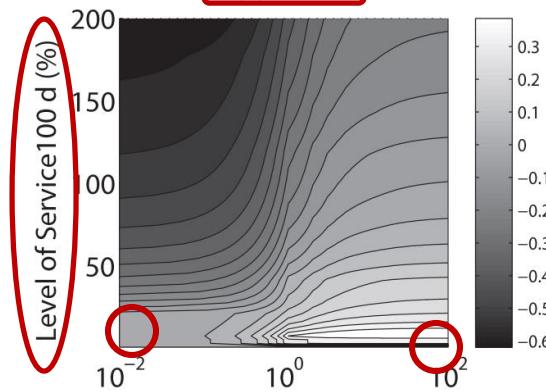
Case Study

Battery Swapping

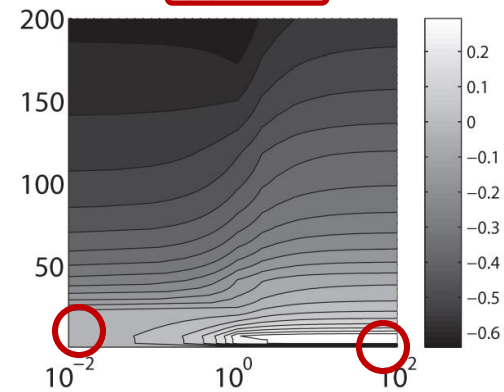
$\frac{\text{Total Cost}_{\text{charging Station}} - \text{Total Cost}_{\text{Battery Swapping}}}{\text{Total Cost}_{\text{charging Station}}}$

$\text{Total Cost}_{\text{charging Station}}$

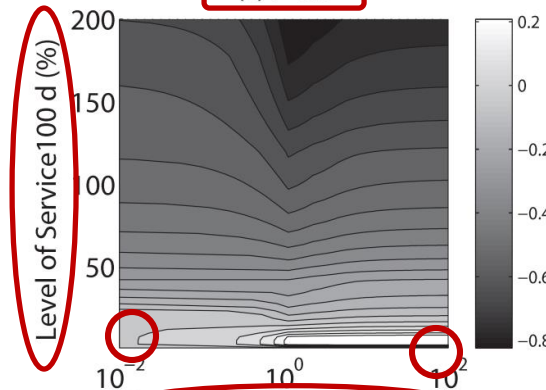
(a) $r=0.1$



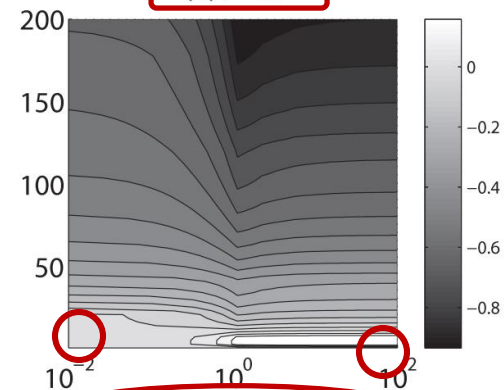
(b) $r=0.3$



(c) $r=0.5$



(d) $r=0.7$



Density (Vehicle per mile)

Density (Vehicle per mile)

- At low density the two options are the same
- Swapping is more competitive at high density and high level of service

Conclusion

- Level 2 charging is indeed socially optimal for very low EV market penetrate rates.
- Level 3 charging is needed to achieve a reasonable level of service.
- Advancing battery technology seems to promise larger impacts than the charging technology.
- Battery swapping enables the use of smaller batteries and to achieve higher level of service.
- If existing infrastructure can be remodeled to support battery swapping and charging operations, charging could be a socially optimal solution for modest levels of service.

Thank You

Questions?